

Statistical Shape Model-based Segmentation of brain MRI Images

Jonathan Bailleul, Su Ruan, Jean-Marc Constans

1. Context

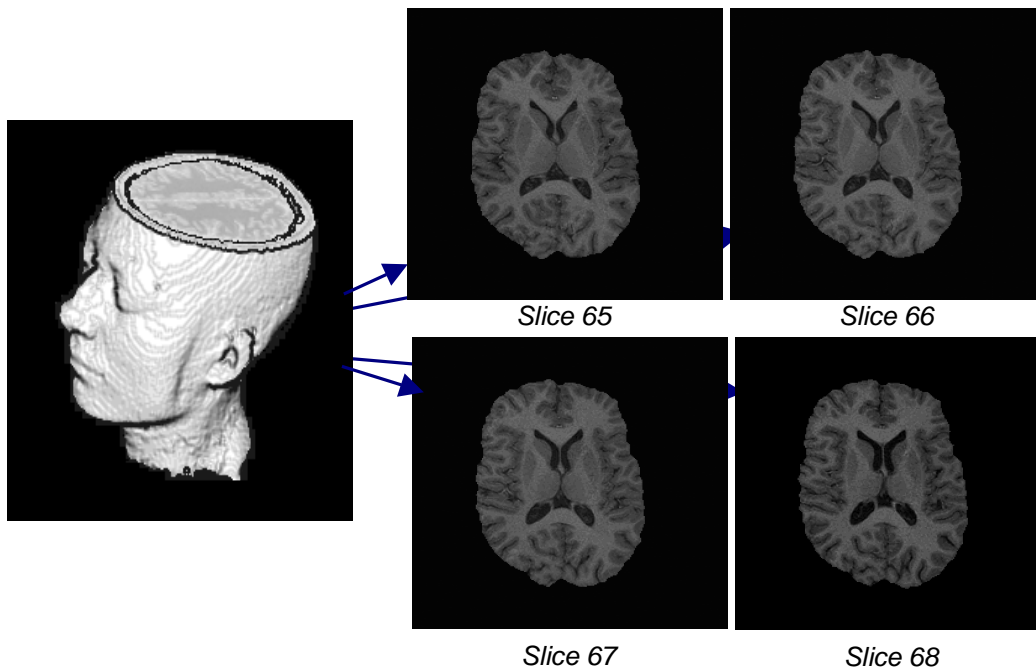
2. Need for shape priors.
3. Introduction to the Point Distribution shape Model (PDM)
4. Automatic construction of PDMs in 3D MRI
5. Improved Active Shape Model

Automatic delineation of deep nuclei in 3D brain MRI

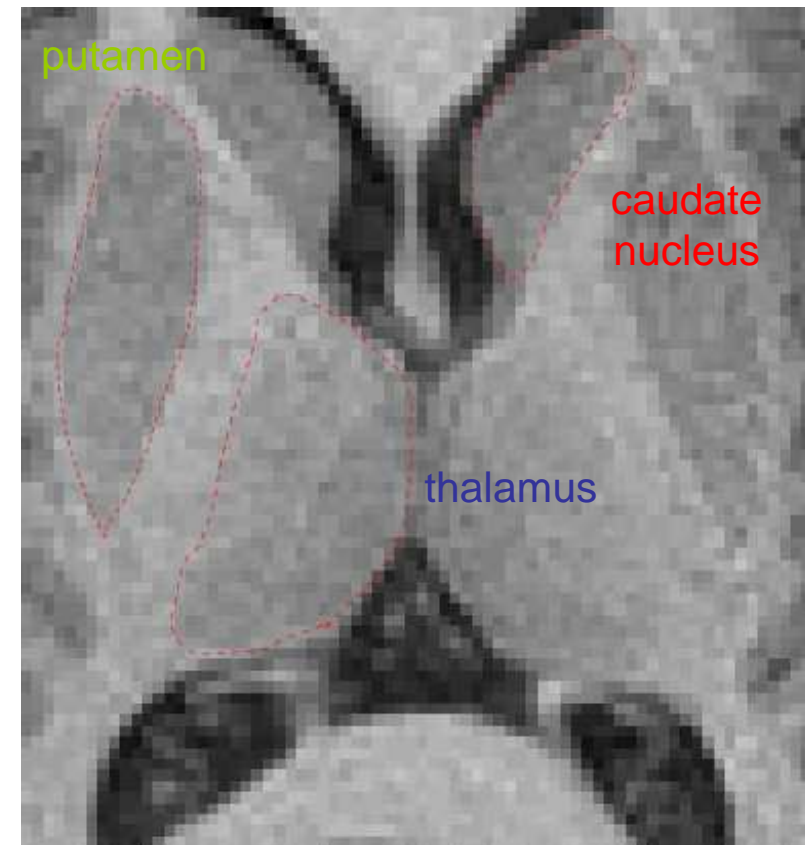
Target

Input data: Brain MRI

- T1-ponderated « anatomical » MRI
- Dimension: 256x256x124 voxels
- Spatial resolution: 1mm (isotropic)

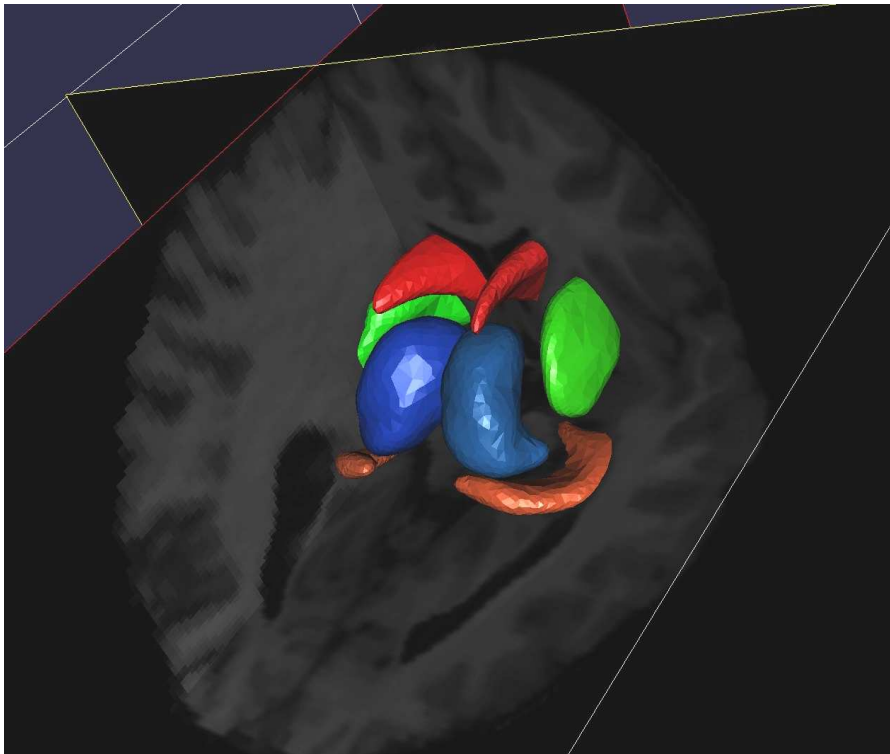


Delineation of deep brain anatomical structures

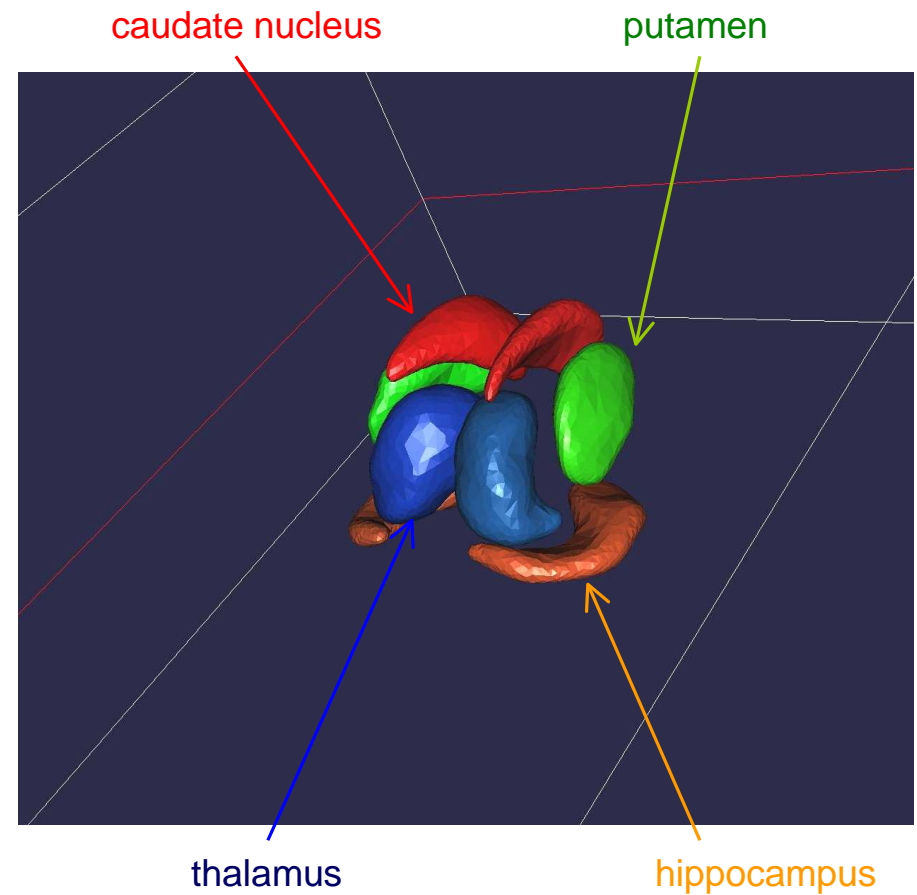


Automatic delineation of deep nuclei in 3D brain MRI

Target



(volume: Atlas Harvard SPL)



Statistical studies on MRI databases:

□ Functionnal brain mapping:

Anatomic localization (IRM) of functionnal activation signals (IRMf) occuring when the patient performs a given cognitive task (e.g calculus)

□ Characterizing neurologic pathologies :

- Parkinson disease alters thalami/hippocampi volumes.
- Schizophrenia alters the shape of hippocampi.

□ Data mining:

Blind research of correlations between patient features (e.g gender, handedness) and nuclei features (e.g shape, volume)

1. Context

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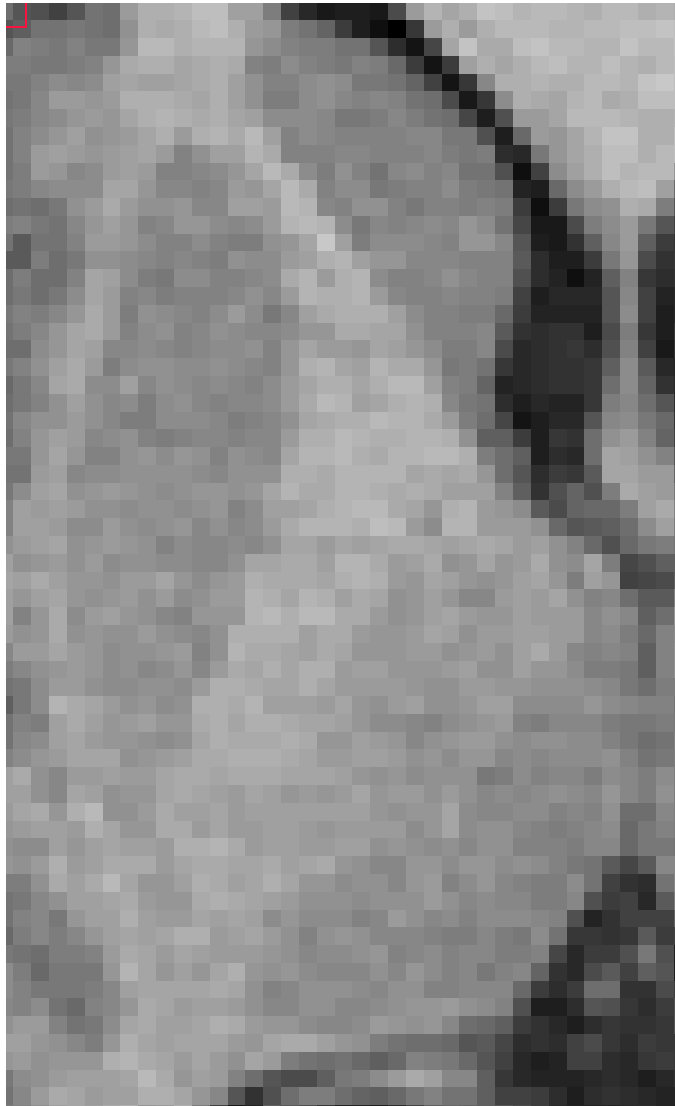
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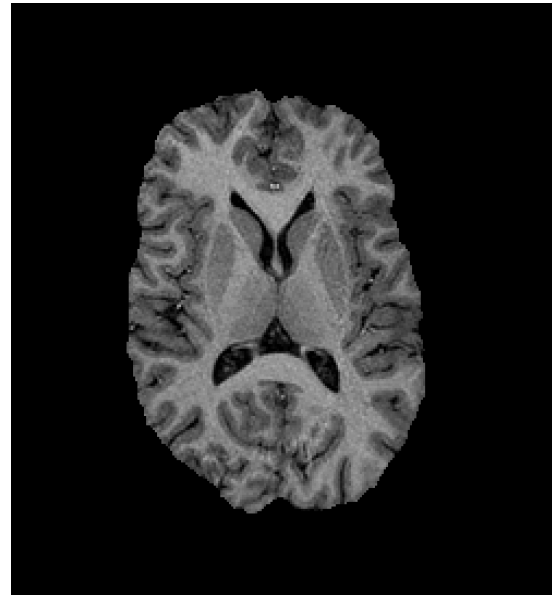
Unreliable boundary information

Practical problem

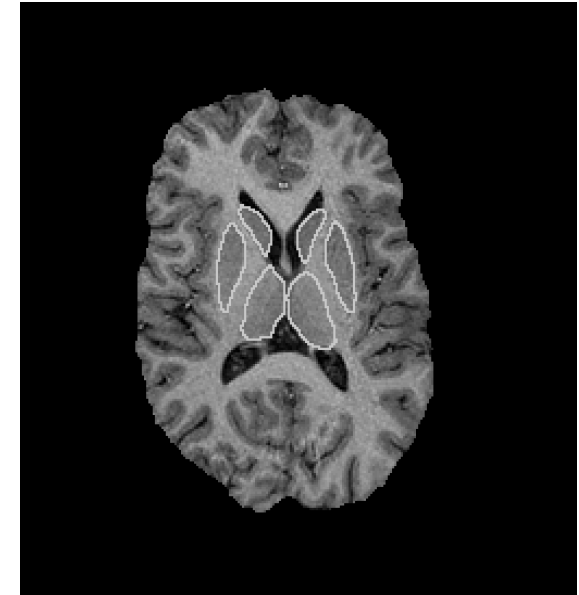


zoom on region of interest

MRI slice sample



Expected delineation



a priori information
is required to achieve delineation

30/08/2007

GREYC Image

Active contours and surfaces

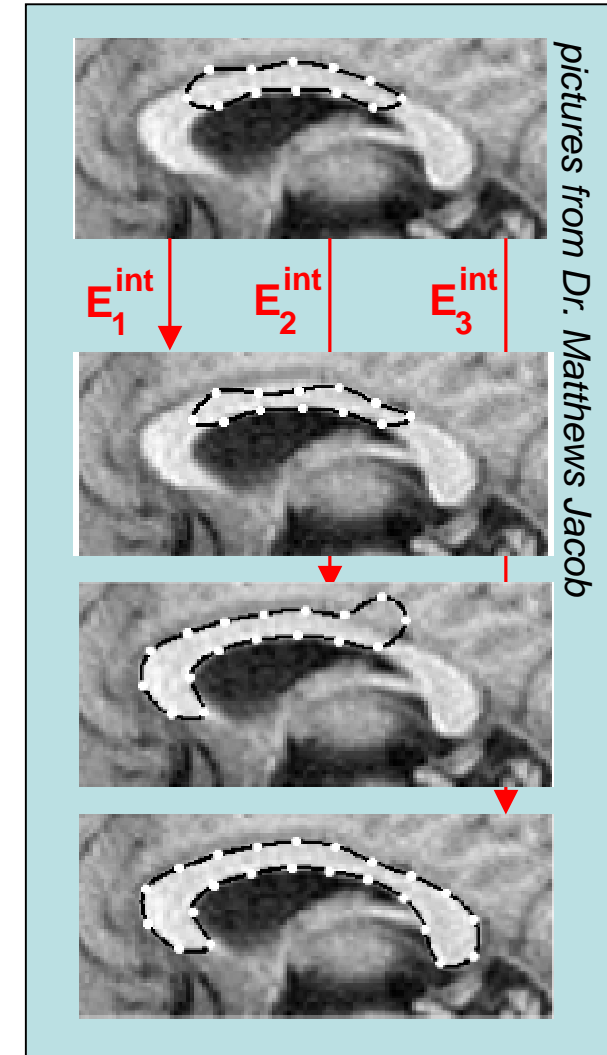
A case study on a discrete 2D snake

Using a priori information

Delineation is achieved in minimizing the sum of two energies:

- a) **external energy**, driving points towards the estimated boundary.
- b) **internal energy**, minimizing:
 - contour length (*elasticity*)
 - contour curvature (*rigidity*)

➔ *A priori hypotheses on internal energy can be too loose*



Statistically deformable contour and surfaces

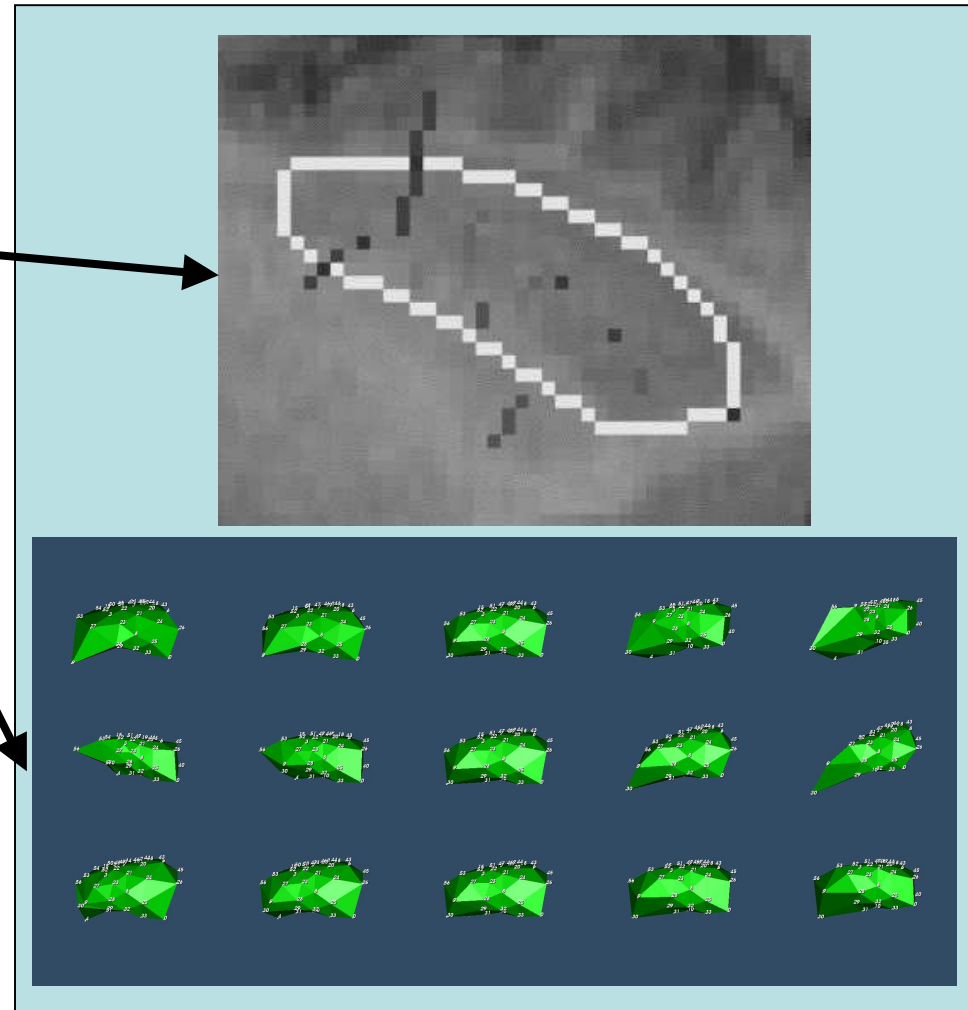
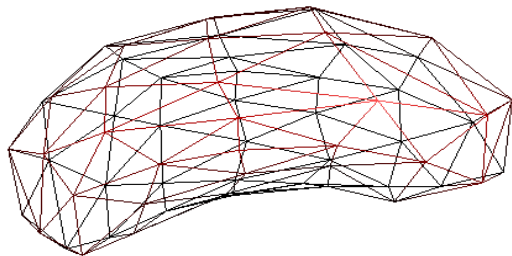
Using a priori information

A case study on the 3D discrete 'smart snake' (PDM)

Delineation is achieved when iterative deformation of the prototype reaches idempotence:

- a) the **Intensity Model** proposes a move for each point in surface normal direction.
- b) the **Statistical Shape Model (PDM)**, amends the previous moves so as to **enforce shape constraints** on the prototype.

Shape prototype



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GREYC Image

9

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- 3. Introduction to the Point Distribution shape Model (PDM)***

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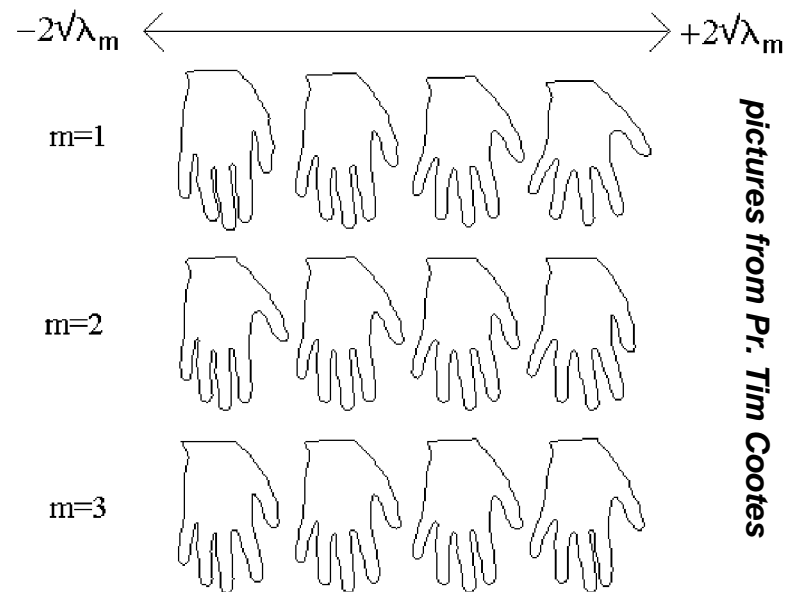


Input data: a training set of outlines of the shape to learn

output data:

A shape model:

- generating likely shape instances
- determining whether an arbitrary instance matches learned shape

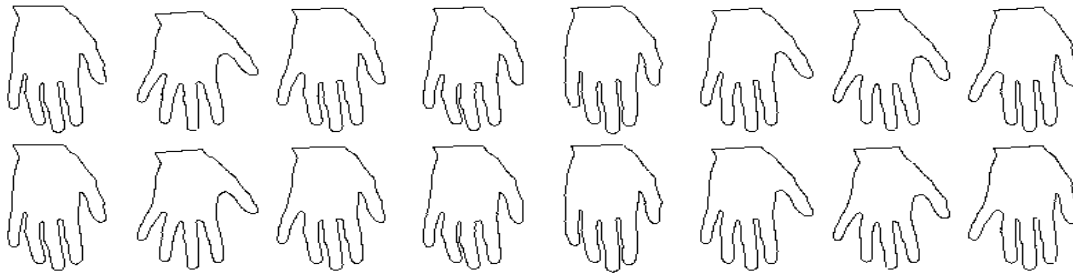


Explicit a priori shape information

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GREYC Image

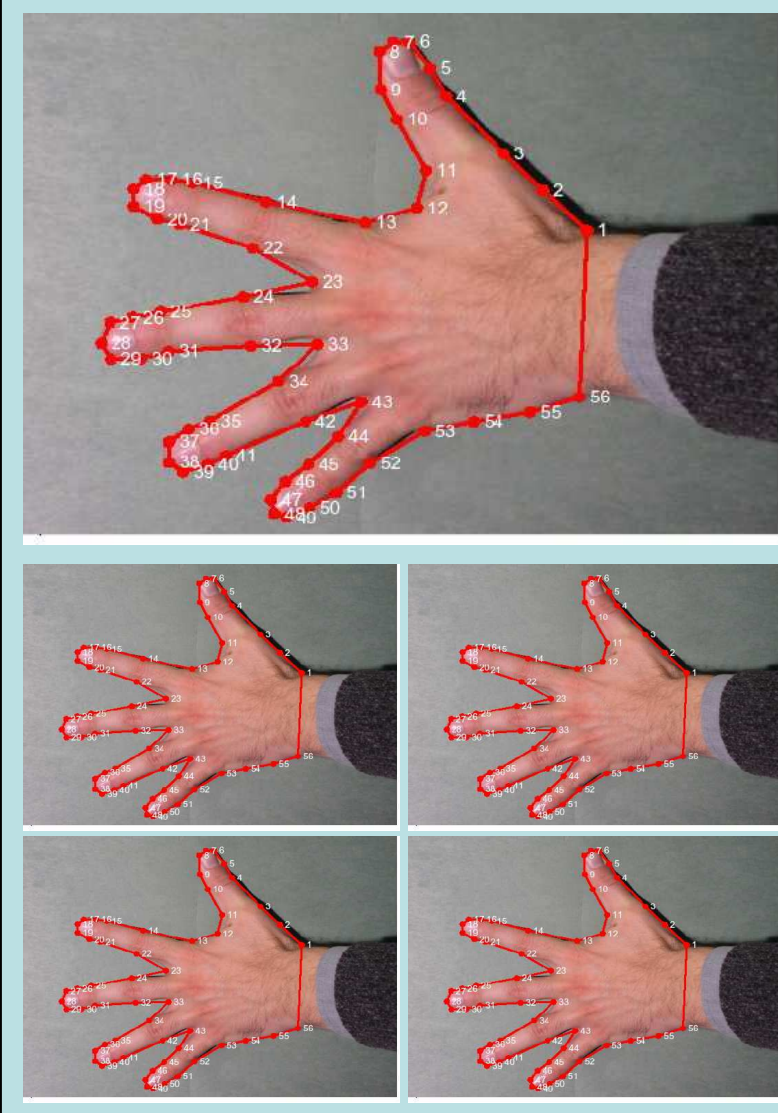
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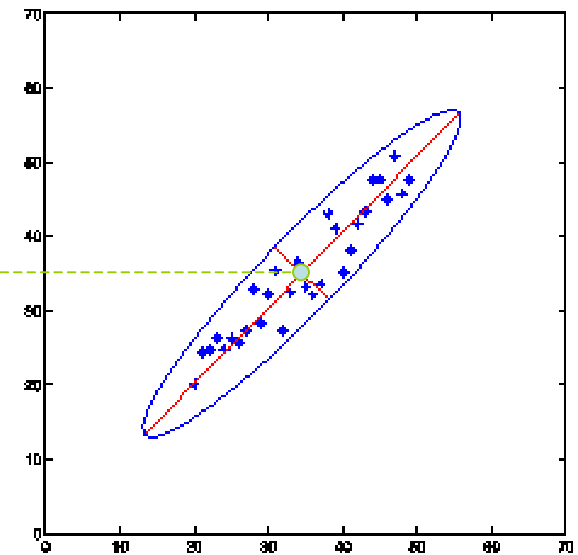
- We must first collect various outlines of the shape to learn
- Each shape instance must be annotated by corresponding **landmark** points



« A landmark is a point of correspondence in each object that matches between and within populations » [1]



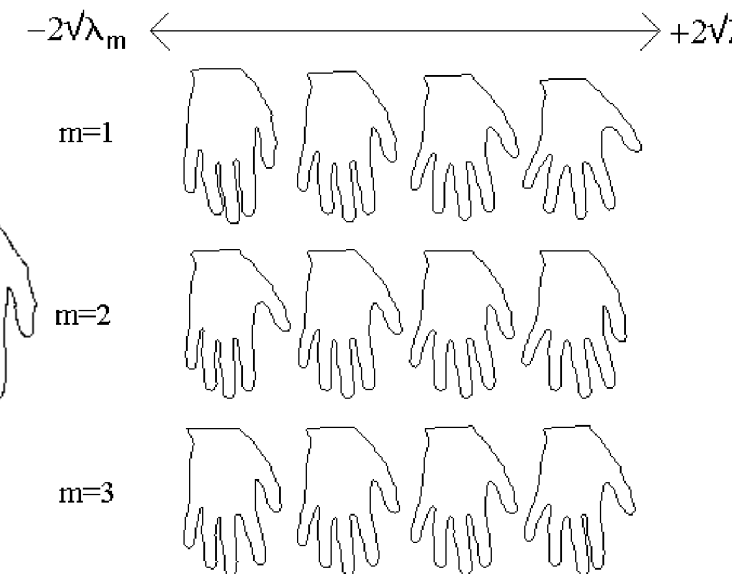
- Each instance annotated by n landmarks
- landmarking m shape instances in a 2D space produces m dots in a $2n$ -dimensional space.
- A mean shape X_m is computed by averaging.
- PCA can extract eigenvectors p_k and associated eigenvalues v_k .



We can define an « **Allowable Shape Domain** » (ASD) as:

$$x = X_m + Pb$$

- P : (p_1, p_2, \dots, p_t) , matrix of most significant eigenvectors
- b : $(b_1, b_2, \dots, b_t)^T$, a set of bounded shape coefficients
 $|b_k| \leq 3 \cdot \sqrt{v_k}$

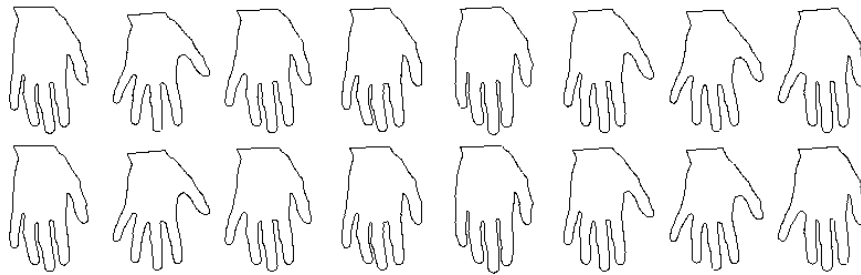


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GREYC Image

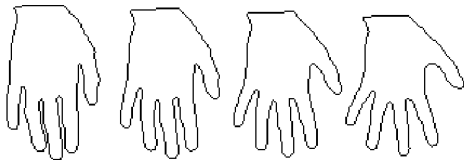
Point Distribution Model (PDM)

No dimensional limits



$-2\sqrt{\lambda_m}$ \longleftrightarrow $+2\sqrt{\lambda_m}$

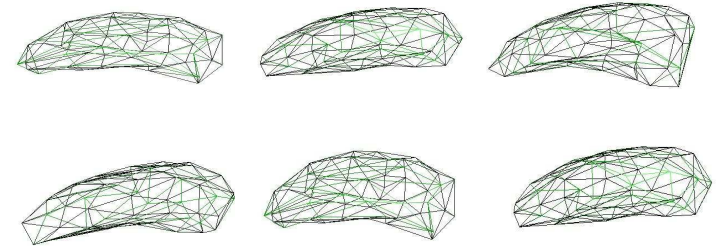
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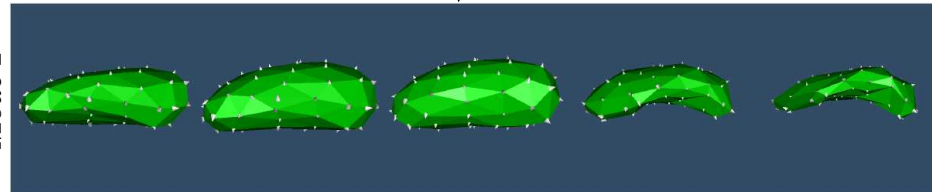
m=2



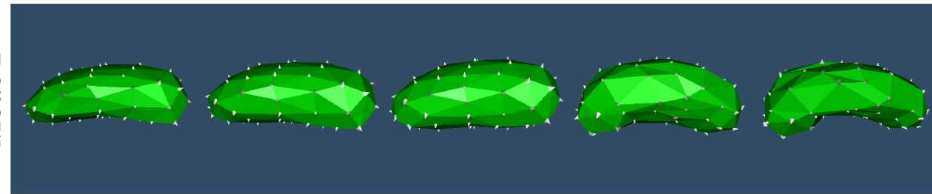
m=3



Mode 1



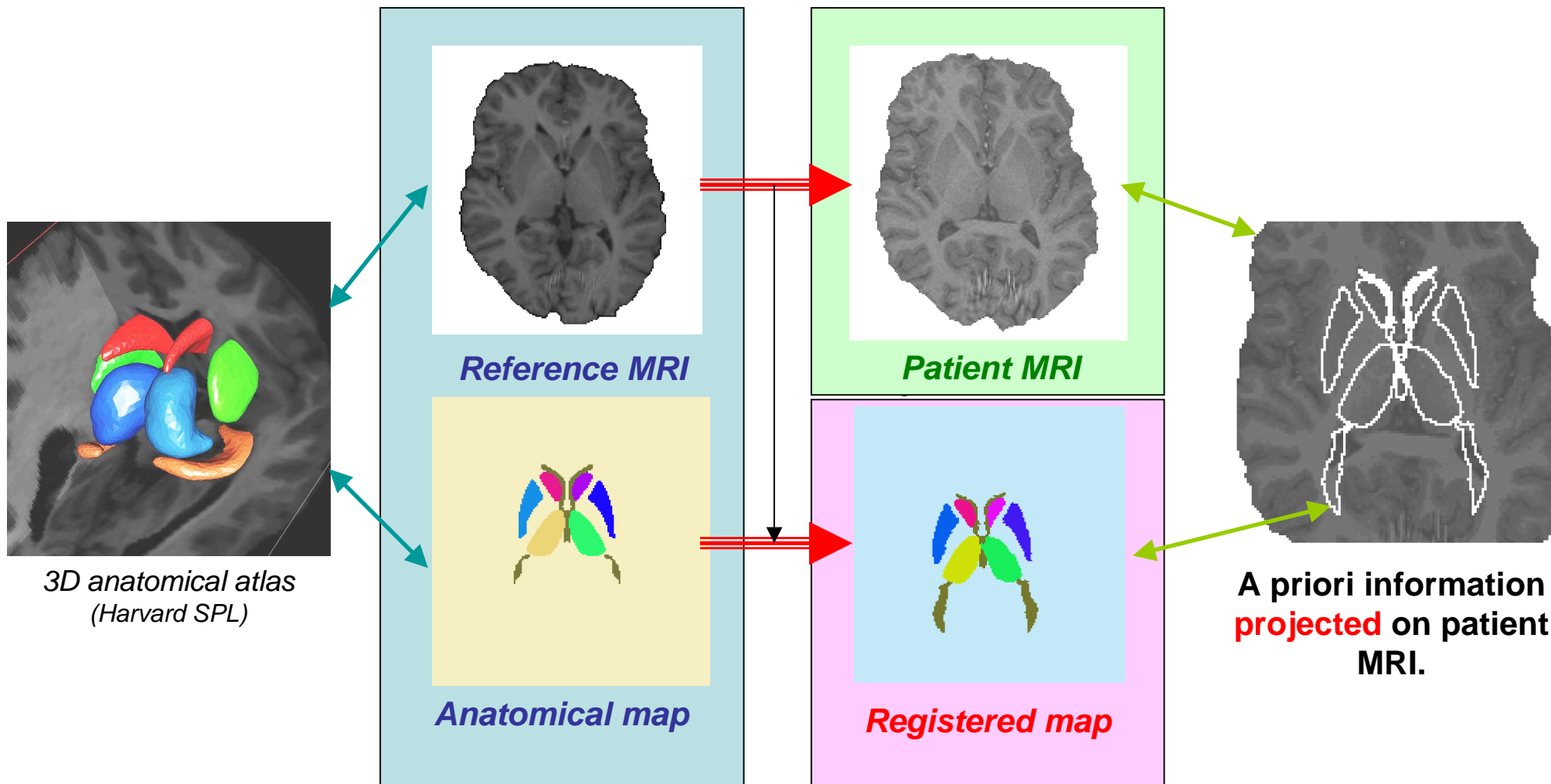
Mode 2



- Frangi, Rueckert et al.
- Gerig et al.
- Kelemen, Szekely et al.
- Pitiot, Thompson et al.

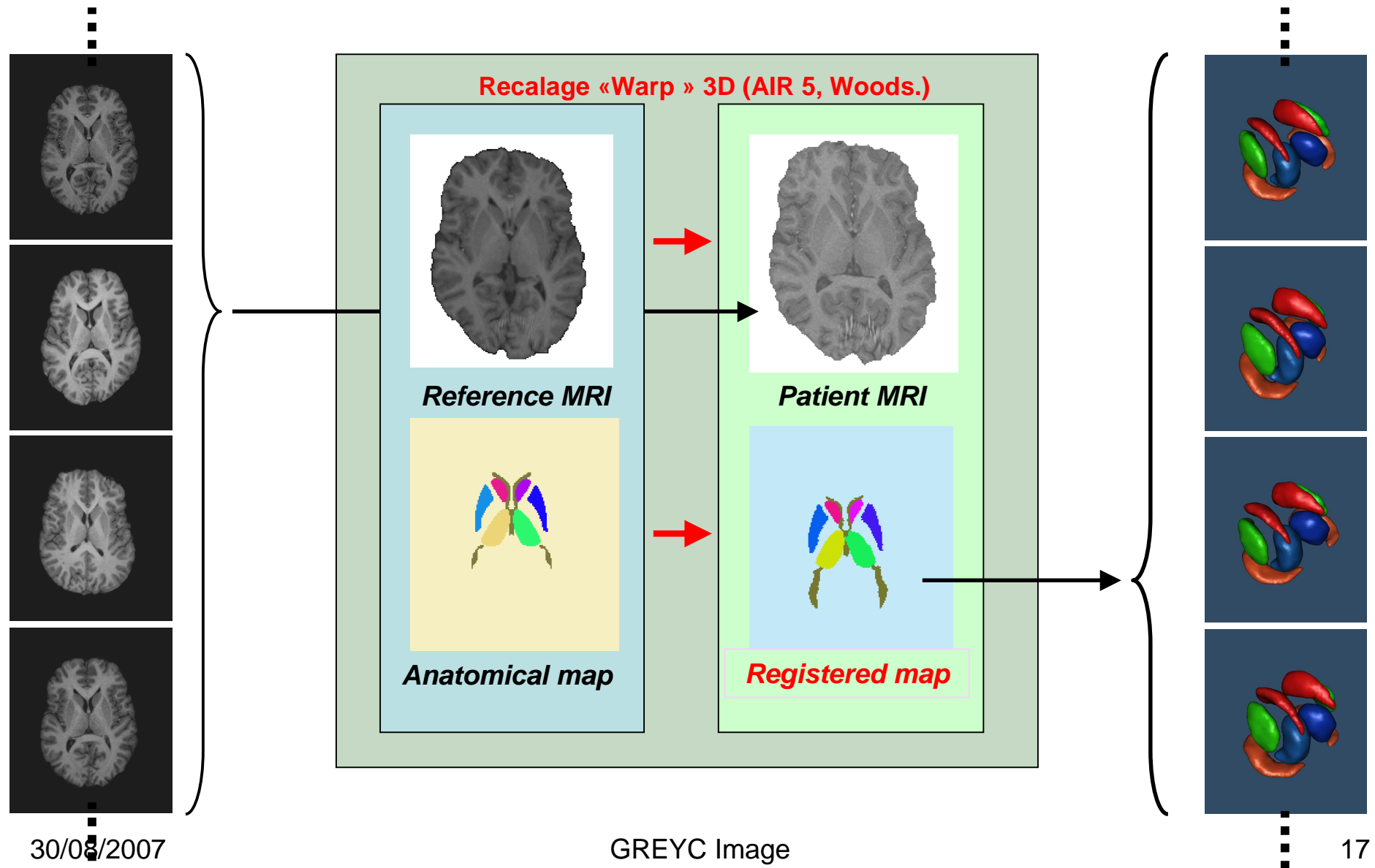
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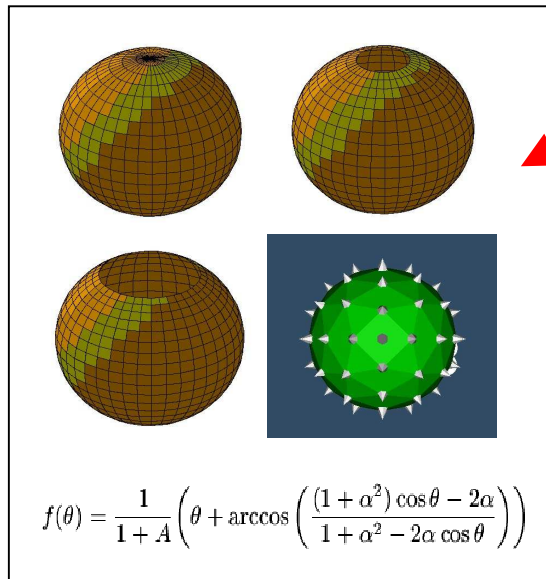
3D Registration (« Warp », AIR 5, Woods.)



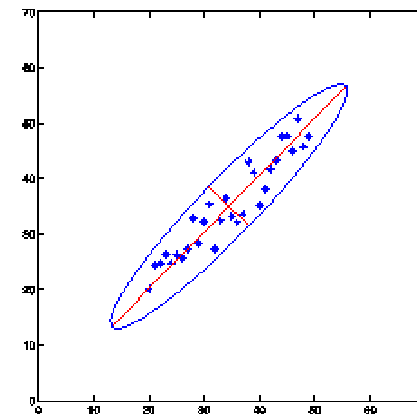
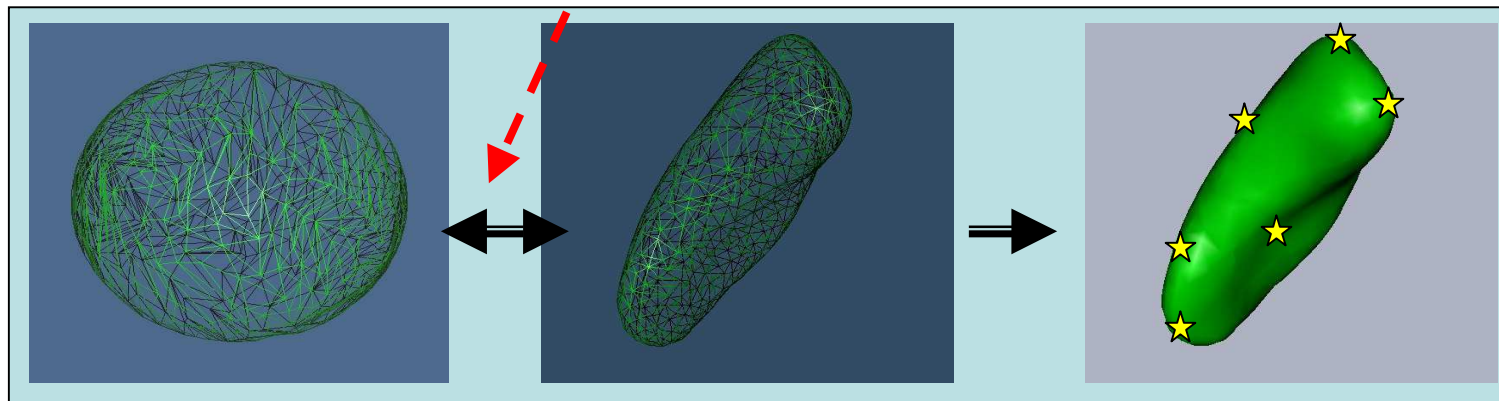
Automatic 3D PDM Building:

*Training set building using
atlas registration*





- Cauchy kernels allow compact parameterization of n landmarks on a unit sphere
- Correspondences between shape instances and triangulated spheres are computed once by conformal projection
- Simplex optimizes parameterization in quantifying compactness and accuracy of the resulting PDM



Variation modes samples

Putamen (left instance):



| Mode | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
|------------|-------|-------|-------|------|------|------|------|------|------|------|
| % variance | 22.87 | 17.07 | 11.08 | 9.31 | 7.24 | 6.14 | 3.77 | 2.97 | 2.74 | 2.41 |

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GREYC Image

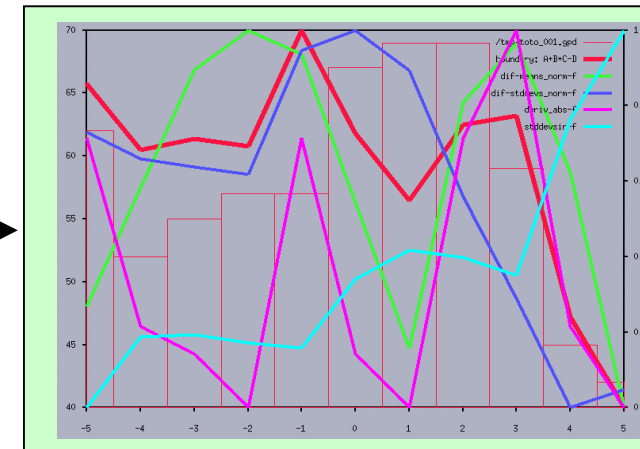
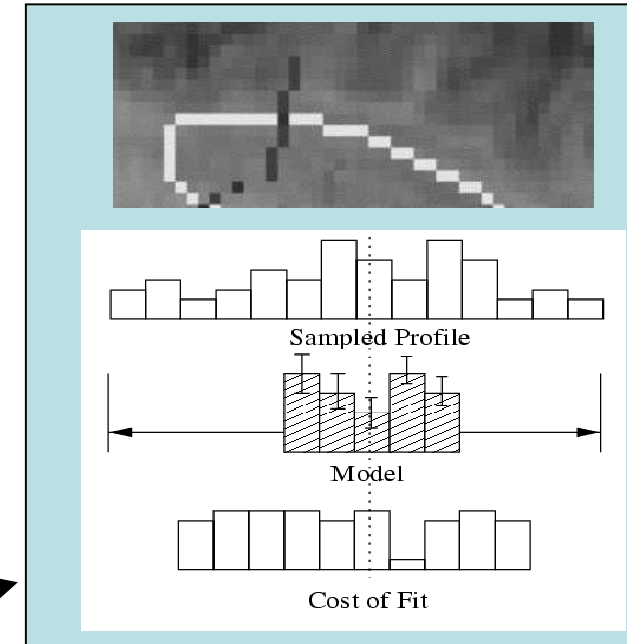
19

Contribution:

- no need for (very very) tedious expert delineation or landmarking [2]

Drawbacks:

- No exact correspondence between automatic delineations and MRIs
- The standard statistical Intensity Model is then no more applicable [1]
- A new Intensity Model had been specifically designed [3]



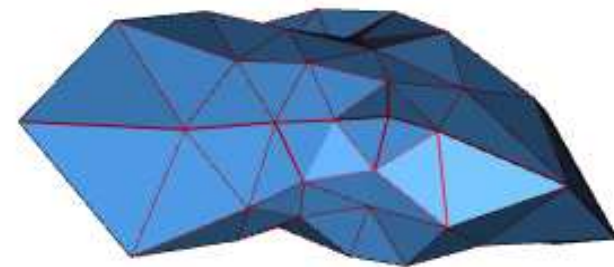
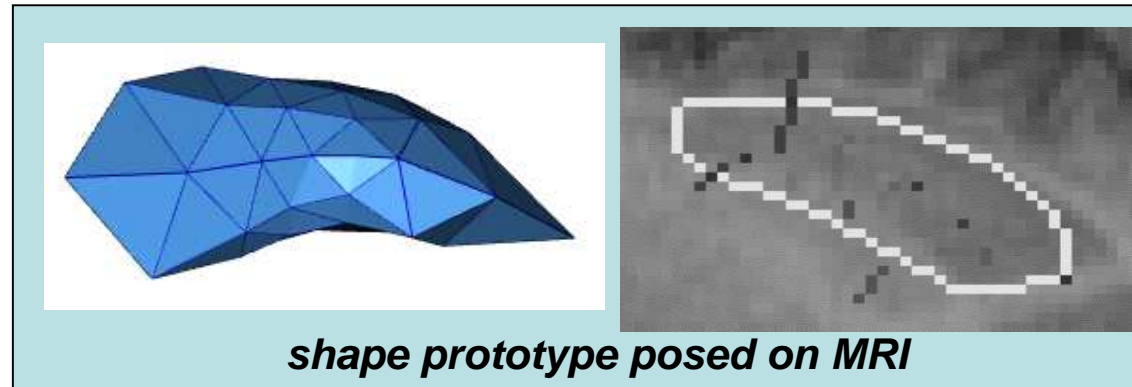
[1] Cootes, Hill, Taylor, Haslam: «*Use of Active Shape Model for locating structures in medical images*», Image and Vision Computing, vol. 12(6), June 1994.

[2] Bailleul, Ruan, Bloyet, Romaniuk: «*Segmentation of Anatomical Structures in 3D Brain MRI using automatically built Statistical Shape Models*», IEEE ICIP, Oct 2004, Singapore

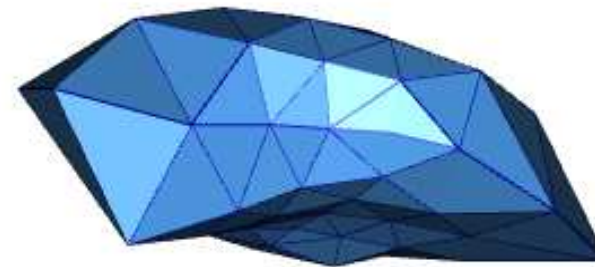
[3] Bailleul, Ruan, Bloyet: «*Automatic Atlas-Based building of Point Distribution Model for Segmentation of Anatomical Structures in 3D Brain MRI*», IEEE ISSPA, July 2003, Paris

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- a) *The landmarked shape prototype is posed into MRI as close as possible to actual contours*
- b) *the **Intensity Model** proposes a move for each point in surface normal direction.*
- c) *the **Statistical Shape Model (PDM)** finds the closest shape instance from the Allowable Shape Domain (ASD)*
- d) *Repeat b+c until idempotence*



prototype adapted towards closest boundary



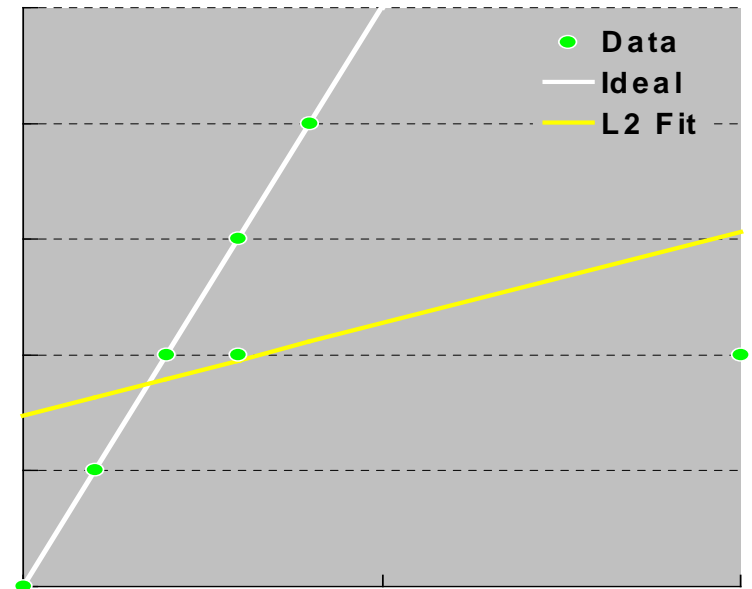
shape prototype posed on MRI

- ❑ **Shape coercion procedure is very sensitive**

$$x_i = X_m + Pb_i$$

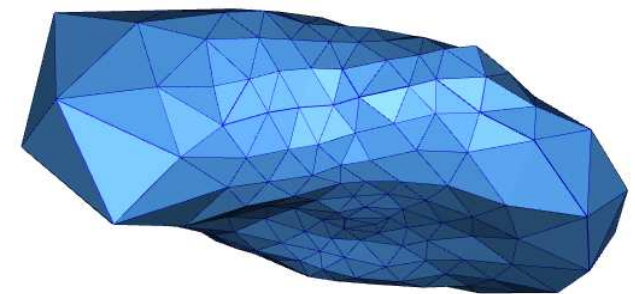
$$db = P^T(dx) \rightarrow \text{provided by intensity model}$$

- Designed for computation speed in 1995 (Pentium I) with 2D cases studies as reference
- Very sensitive to training set outliers, more frequent in 3D



- ❑ **Prototype can only be deformed on landmarks positions**

- scattering of landmark observes shape variability inferred by MDL simplex optimization
- shape coercion only works with corresponding landmarks



Landmarked putamen (258 Idks)

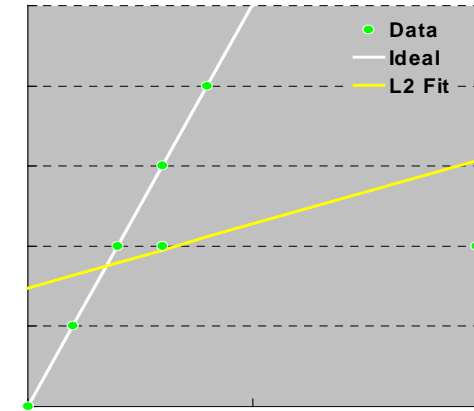
Active Shape Model

Improving shape estimation

❑ Workaround: outliers elimination or neutralization in shape space [1]

- Search for analytic solution
- search for closest amendment leading to target
- assumes previous hypothesis is already good

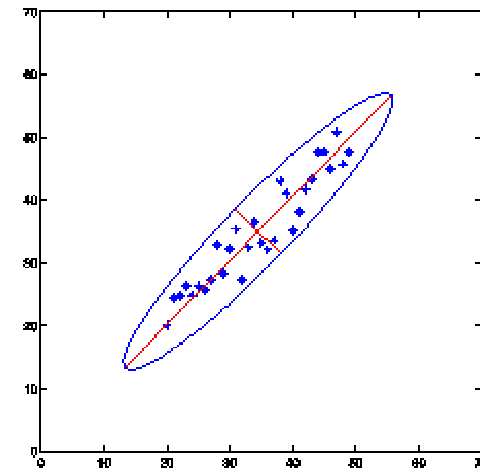
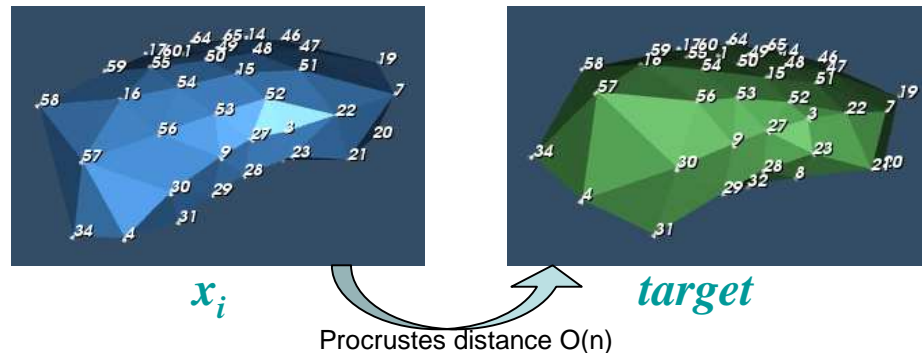
$$db = P^T dx$$



❑ Proposed solution: find any close solution in Euclidean space

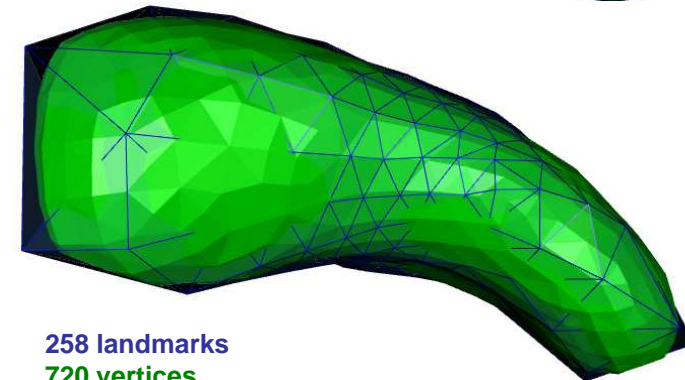
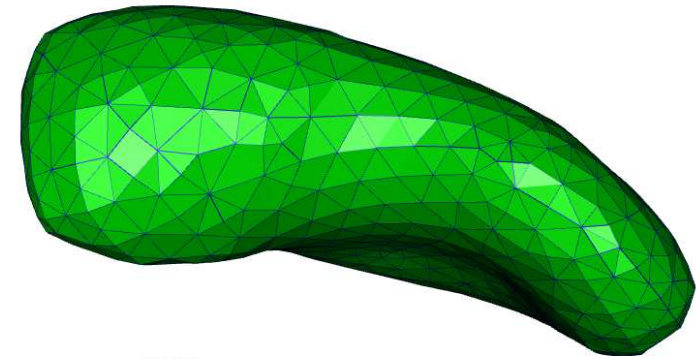
- at each iteration, search for a *close enough* shape instance
- use Allowable Shape Domain properties
- multi-scale search: close solution found within 100 iterations

$$x_i = x_m + P b_i$$



□ Landmarked mesh improved by resolution increase

- Very fast implementation: **Qslim** [1]
- Mesh can now be deformed in any direction
- « Organic-shaped » thanks to smoothing
- Improved mesh can be considered as dual to landmark mesh



□ Influence on shape estimation procedure

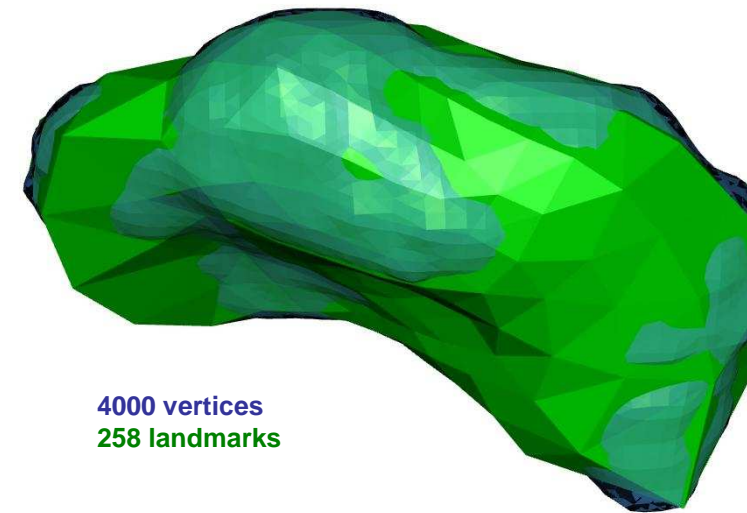
- No more correspondence on vertices
 - Hausdorff distance $O(2n_1n_2)$ replaces Procrustes $O(n)$
- Very efficient implementations (very relevant problem in CG): **Mesh** [2] is >5x faster
- Significant accuracy increase for reasonable computational cost

[1] Kircher, Garland: « **Progressive Multiresolution Meshes for Deforming Surfaces** », ACM/Eurographics Symposium on Computer Animation, 191—200, 2005

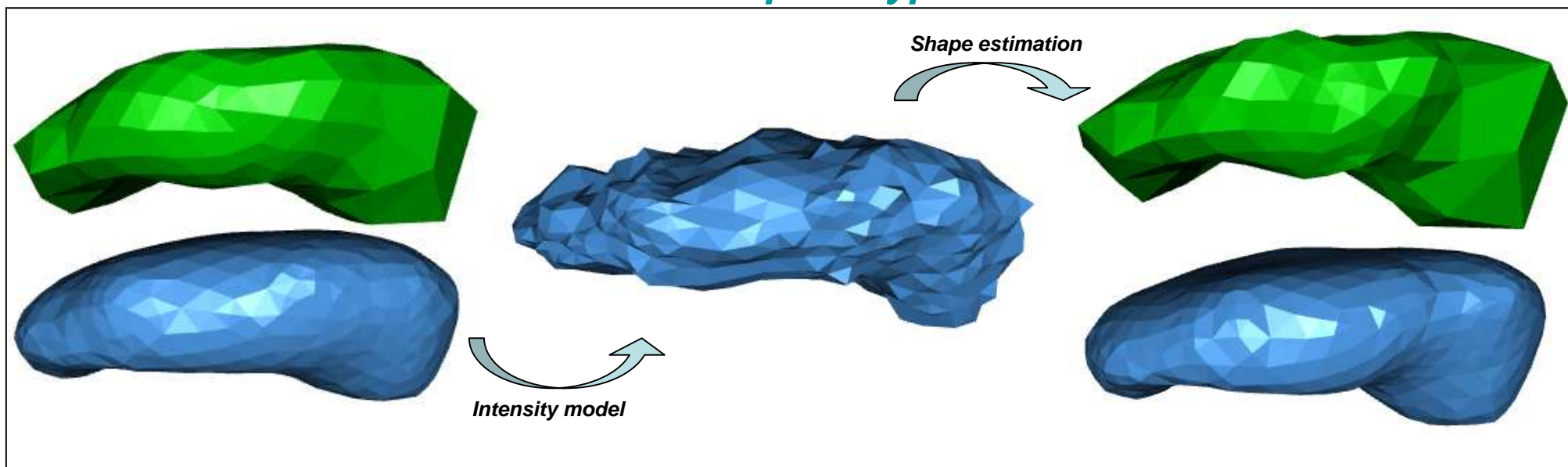
[2] Aspert, Santa Cruz, Ebrahimi: « **MESH: Measuring Error between Surfaces using Hausdorff distance** », Proceedings. of IEEE ICME, 1:705—708, 2002

□ Breakthrough: shape estimation now works for any mesh (representing a shape instance)

- we can estimate the initial shape prototype from atlas registration
- mean shape is actually arbitrarily far from this solution



□ One Iteration of the ASM from this prototype



❑ *Active Shape Models revisited in 3D:*

- New method is relevant due to recent advances in Computer Graphics (1995-2007) and CPU/Memory improvements

❑ *Time & accuracy benchmark for the improved shape estimation:*

| Test shapes | 1 | 2 | 3 | 4 | 5 | 6 | 7 |
|-----------------------|-----|-----|-----|------|-----|-----|-----|
| Std. method error | 5.3 | 8.0 | 4.8 | 3.55 | 6.5 | 7.2 | 5.9 |
| Time (s) | 1 | 1 | 1 | 1 | 1 | 1 | 1 |
| Proposed method error | 2.5 | 1.5 | 2.1 | 1.2 | 0.8 | 1.3 | 2.2 |
| Time (s) | 512 | 603 | 540 | 523 | 607 | 561 | 533 |

Unit: % of the shape instance bounding box. Shape instances selected randomly

❑ *Possible Improvements:*

- standard I/O optimization (program prototype is script-based)
- low-level optimization using specialized GPUs (CUDA)

The end...

Slides & publications:

<http://www.vectraproject.com/These/publis.html>

Contacts:

Team GREYC Image: <http://www.greyc.ensicaen.fr/EquipeImage>